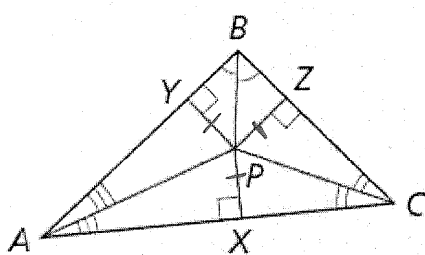
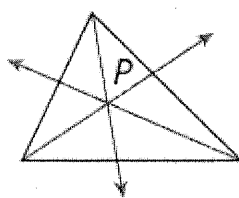


II. Incenter of a Triangle

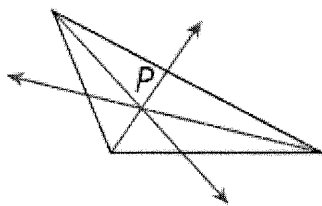
A. **Incenter** - Point where the angle bisectors of a triangle intersect.

Incenter Theorem	Example	What can we conclude?
<p>The incenter of a triangle is equidistant from the side of the triangle.</p> <p>Point P is formed by the intersection of</p>		<p>$PY = PZ = PX$</p> <p>$\overline{PY} \cong \overline{PZ} \cong \overline{PX}$</p>

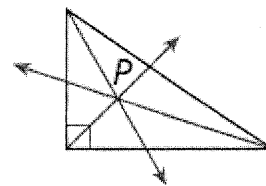
angle bisectors.
 Unlike the circumcenter, the **incenter** is ALWAYS inside the triangle.



acute triangle



obtuse triangle



right triangle

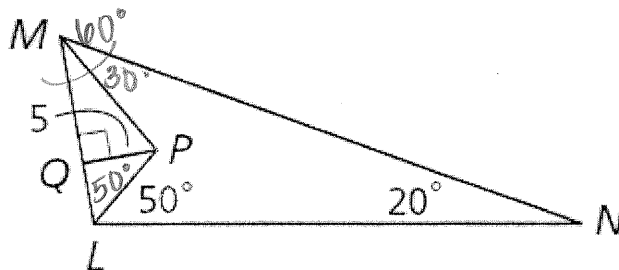
Example #3: Using Properties of Angle Bisectors

A. MP and LP are angle bisectors of $\triangle LMN$. Find each measure.

1. The distance from P to \overline{MN} .

5 units

2. $m\angle PMN = 30^\circ$



B. QX and RX are angle bisectors of $\triangle PQR$. Find each measure.

1. The distance from X to PQ .

19.2 units

2. $m\angle PQX = 52^\circ$

