

The base exponential function is $y = a(b)^x$

a represents the initial amount

b represents the rate it is changing by

Sometimes a rate is given in terms of a percent.

If the event is increasing by a given percent it is a growth function

If the event is decreasing by a given percent it is a decay function

Base	Growth	Decay
$y = a(b)^x$	$y = a(1+r)^x$	$y = a(1-r)^x$
a = initial value	→	
b = rate (whole number)	r = percent (IN DECIMAL FORM!)	→

USING PERCENTS IN AN EQUATION

* Increasing by 25%

$$1 + .25 = 1.25$$

* Increasing by 2.3%

$$1 + .023 = 1.023$$

* Decreasing by 25%

$$1 - .25 = .75$$

* Decreasing by 4%

$$1 - .04 = .96$$

INCREASE BY 10%

$$1 + .1 = 1.1$$

DECREASE BY 10%

$$1 - .1 = .9$$

EXAMPLE 1: BASE FUNCTION

Four bunnies are left on an island. The amount of bunnies is tripling every month. Write a model to represent this function and determine how many bunnies will be on the island after a year.

$$y = 4(3)^x$$

$$4(3)^{12}$$

21,257,64
BUNNIES!
AHH!

EXAMPLE 2: GROWTH FUNCTION

The cost of tuition and room for a 4 year state university averages \$20,090. The average increase in cost is about 9% each year. How much can you expect to pay for tuition when you graduate in 4 years?

$$y = 20090(1.09)^x$$

$$1 + .09 = 1.09$$

$$20090(1.09)^4$$

$$\$28,358.69$$

EXAMPLE 3: DECAY FUNCTION

You bought a new iPhone 7 for \$649. The price of the iPhone depreciates about 44% each year. How much can you predict you could sell your iPhone for two years from now?

$$y = 649(.56)^x$$

$$1 - .44 = .56$$

$$649(.56)^2 =$$

$$\$203.53$$